

Problems of building airtightness evaluation method

Since the exponent n in the gap power law equation (3) varies from 1 to 2, it is unreasonable to set the constant 2 to n and apply equation (4).

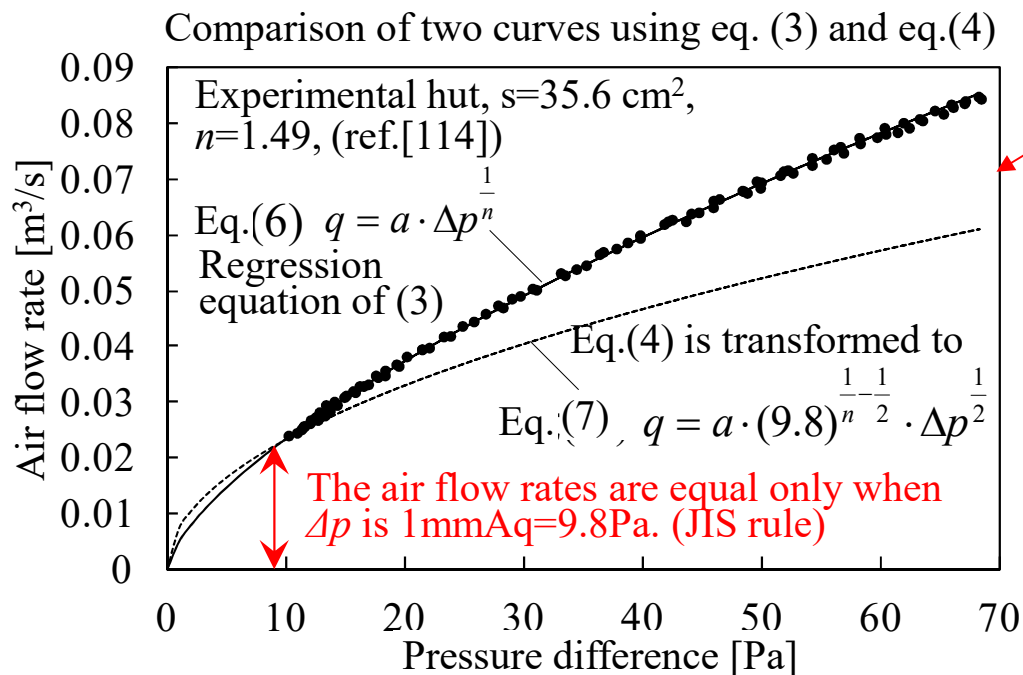
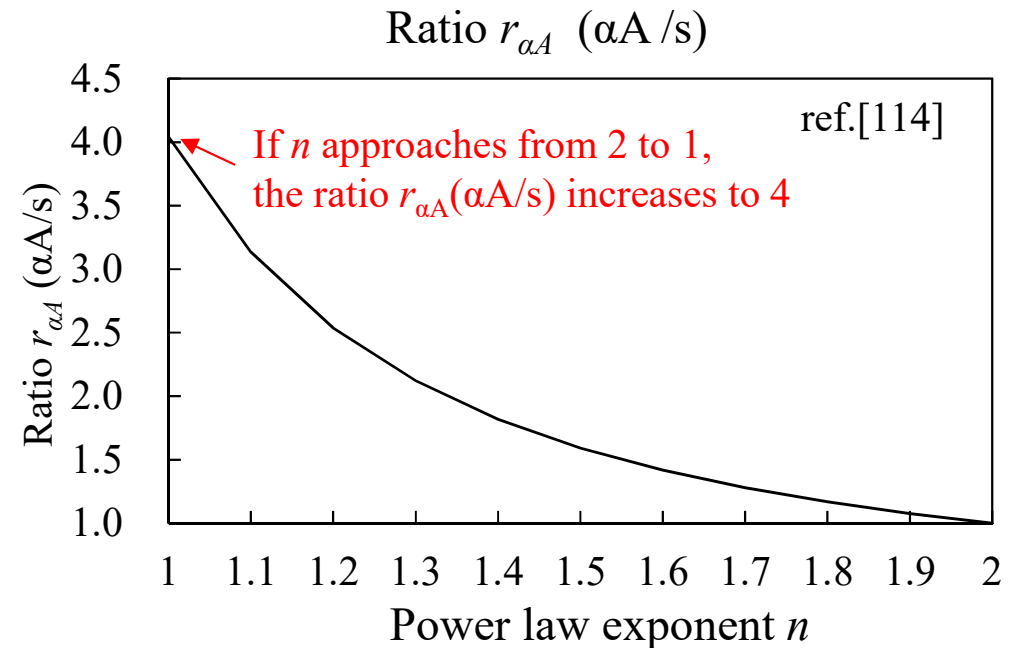
$$\Delta p = \frac{\rho}{2} \left(\frac{q}{s} \right)^n \quad (3) \quad \Delta p = \frac{\rho}{2} \left(\frac{q}{\alpha A} \right)^2 \quad (4)$$

A ratio $r_{\alpha A}$ by two type gap opening areas is defined.

$$r_{\alpha A} = \frac{\alpha A}{s} = \left(\frac{\rho}{2 \cdot 9.8} \right)^{\frac{1}{2} - \frac{1}{n}} \quad (5) \quad \text{ref.}[114]$$

αA : Total equivalent gap opening area

s : Simple equivalent gap opening area



Even if the actual P-Q characteristic curve of the gap and the curve with the exponent set to 2 are matched only at $\Delta p = 1 \text{ mmAq} = 9.8 \text{ Pa}$, the two are significantly different at other Δp .

Airtightness is evaluated only using the equivalent gap area αA , called the C-value, and the exponent n is often ignored. Is this because the exponent n has no physical meaning?

Therefore, wouldn't a quadratic model be better, since it can take into account not only the "gap area" but also the "gap depth"?